

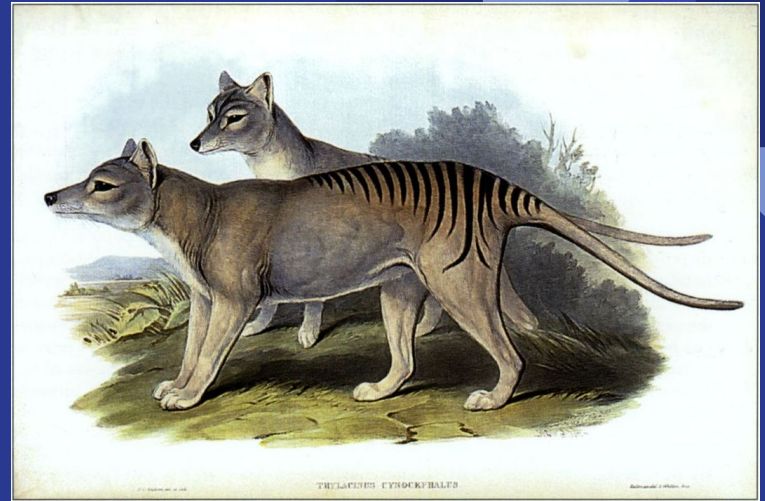


# Modeling De-extinction: A Computational Approach to Back-breeding Dynamics

Nimay Gupta

# Introduction

- Overview
- The Problem
- Methods Used So Far
- Biological Background of Back Breeding



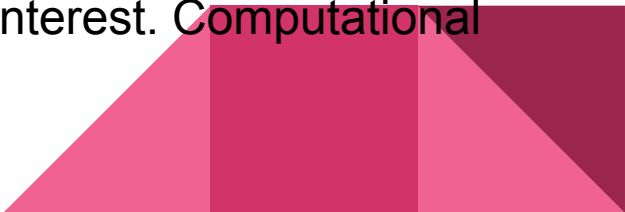
# Overview

**Key Question:** Can extinct species be brought back using computational models?

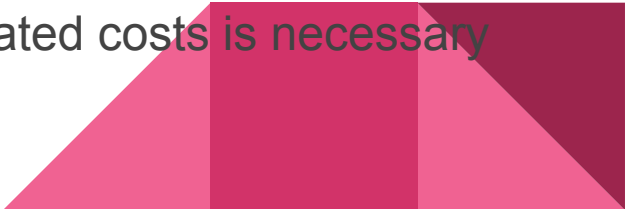
## De-extinction Focus:

- **De-extinction:** Reviving species using genetic techniques.
- One approach: **Back-breeding**, selectively breeding closely related species to restore genetic traits of extinct species.

## Motivation:

- De-extinction is of high ecological and conservation interest. Computational models help estimate feasibility and timelines.
- 

# The Problem

- Species are currently going extinct at **100 to 1,000 times the natural rate** due to human impact.
  - With many species playing important roles in ecosystems, extinction creates several challenges; it leads to a loss in **biodiversity, diminishes genetic variability, and curbs enthusiasm for conservation projects.**
  - Hence, with the emergence of advanced genetic techniques, de-extinction, or reviving extinct species through techniques like **selective breeding, cloning, and genetic engineering has become a possibility.**
  - However, de-extinction projects are **resource-intensive and complicated**, and estimating the probability of success and associated costs is necessary before starting a project.
- 

# Methods Used So Far

## 1. Cloning

- **Uses preserved DNA** to clone extinct species.
- **Example:** Pyrenean Ibex revival (2009).


## 2. Genome Editing (CRISPR)

- **Modifies DNA** of living species to incorporate extinct genes.
- **Example:** Woolly Mammoth using Asian elephant DNA.

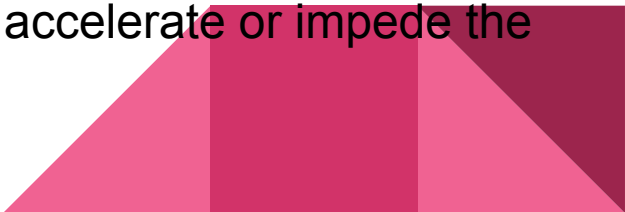
## 3. Back-breeding

- **Selective breeding** to recreate extinct species' traits.
- **Example:** Aurochs via modern cattle breeding.

## 4. Synthetic Biology

- **Artificially creates genomes** using DNA synthesis.
  - **Still experimental** for species with no close relatives.
- 

# Biological Background of Back Breeding

- Back breeding is selective breeding of related species to recreate an extinct species' **genome**.
  - **Genetic Similarity:** Back-breeding uses species with similar DNA to the extinct species to maximize genetic overlap.
  - **Mendelian Inheritance:** Offspring inherit genes randomly from parents according to Mendelian inheritance patterns.
  - **Genetic Variation:** Genetic diversity is introduced naturally, while breeders select for traits that resemble the extinct species.
  - **Mutations:** Mutations occur naturally and can either accelerate or impede the recovery of the extinct species' original genome.
- 

# Methodology

- Model Overview
- Simulation Setup
- Simulation Details



# Model Overview

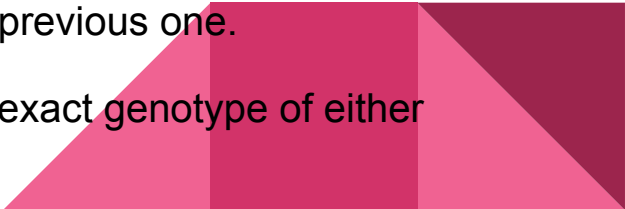
## Simplified Toy Model for Genetic Recombination:

- Two organisms per generation.
- **Chromosome Setup:** Genes are randomly combined and passed to the next generation.
- **Mutation Factor:** A certain probability of mutation introduces new genes from the gene pool in each generation.

## Key Elements:

- Initial organisms: Arrays  $A1A\_1A1$  and  $A1'A\_1'A1'$  represent the genes (chromosomes) of two organisms.
- Each subsequent generation randomly inherits genes from the previous one.

**Goal:** Determine how many generations are needed to replicate the exact genotype of either original organism.





# Simulation Setup

**Master Gene Pool:** A fixed set of genes, for simplicity we consider 10 genes in the pool (labeled 1–10).

**Chromosome Arrays:** Each organism in the first generation has an array of chromosomes, which can repeat genes.

## Process:

- Each generation takes random genes from the gene pool and combines them to form new chromosome arrays.
- **Mutation Probability:** A small chance that one gene in the array will mutate (replaced by a new gene from the pool).

## Simulation Variables:

- Chromosome count ( $m = 3, 4, 5$ )
- Mutation probability (ppp) from 0.01% to 100%.

**Stopping Condition:** Simulation stops when an organism matches the genotype of an original ancestor.



# Simulation Details

- Create initial gene arrays  $A_1$  and  $A_1'$ .
- For each generation, genes are randomly recombined to form new arrays  $A_n$  and  $A_n'$ .
- Apply mutations based on probability  $p$ .
- Repeat until a match is found between an organism and the original genotype.

Eg. Gene pool:  $\{1, 2, 3, \dots, 10\}$

Organisms in first generation-  $\{1, 2, 3, 3\}, \{2, 3, 4, 9\}$

After first round of recombination-  $\{1, 3, 3, 4\}, \{2, 2, 3, 9\}$

If mutation probability is 30%, there's a 30% chance that one of the genes changes to something else- for example the first organism might now become  $\{1, 8, 3, 4\}$

# Results



$$m = 3$$

- As mutation probability increased from 0.01% to 0.2%, there was a sharp increase in the number of generations needed.

Mutation Probability	Number of Generations
0.01	1831063.898
0.05	77583.598
0.1	18935.59
0.15	11894.524
0.2	6859.836

$m = 3$

After  $p = 0.2$ , increasing the probability  $p$  didn't lead to as sharp a drop, in fact it was almost linear.

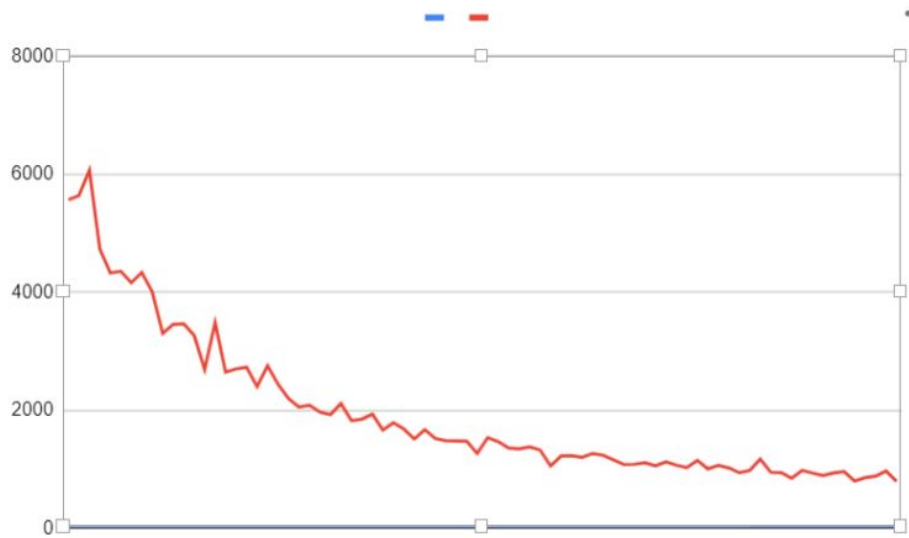


Figure 1: The variation in number of generations as probability of mutation ranges from 0.2% to 1% for  $m = 3$

$$m = 3$$

As the probability ranged from 1% to 100%, the number of generations needed was almost constant.



Figure 2: The variation in number of generations as probability of mutation ranges from 1% to 100% for  $m = 3$

## $m = 4$ and $m = 5$

For  $m = 4$  and  $m = 5$ , simulations for  $p$  ranging from 0.01% to 1% couldn't be carried out due to computational constraints. As the probability ranged from 1% to 100%, the results were similar to for  $m = 3$  with no significant trend.

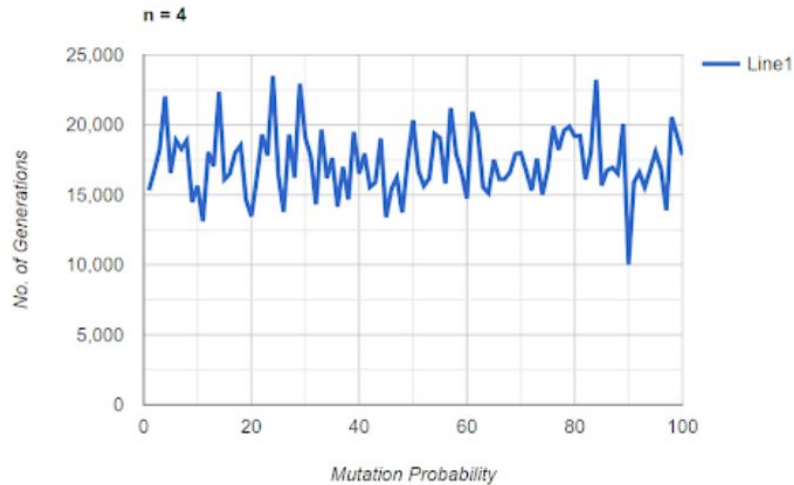


Figure 3: The variation in number of generations as probability of mutation ranges from 1% to 100% for  $m = 4$

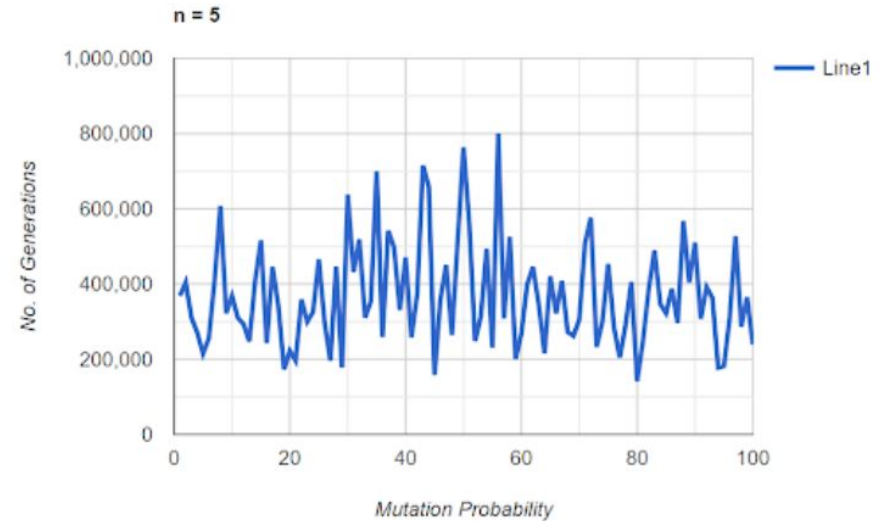


Figure 5: The variation in number of generations as probability of mutation ranges from 1% to 100% for  $m = 5$

# Statistical Observations

While there was no clear trend in number of generations  $n$  as  $p$  ranged from 1% to 100%, the statistical distribution of  $n$  for  $p$  in the set  $\{1, 2, 3, \dots, 100\}$  is interesting.

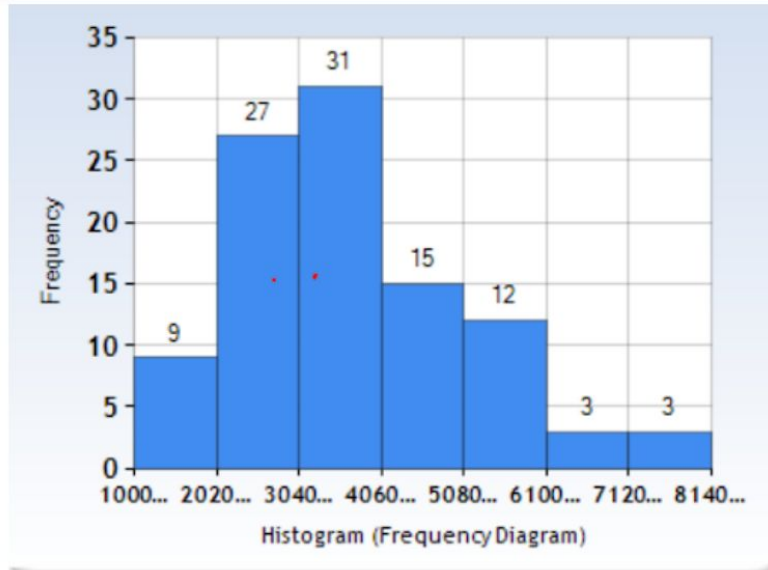


Figure 6: Histogram showing distribution of values of  $n$  for  $p \in (1\%, 2\%, \dots, 100\%)$  for  $m = 5$

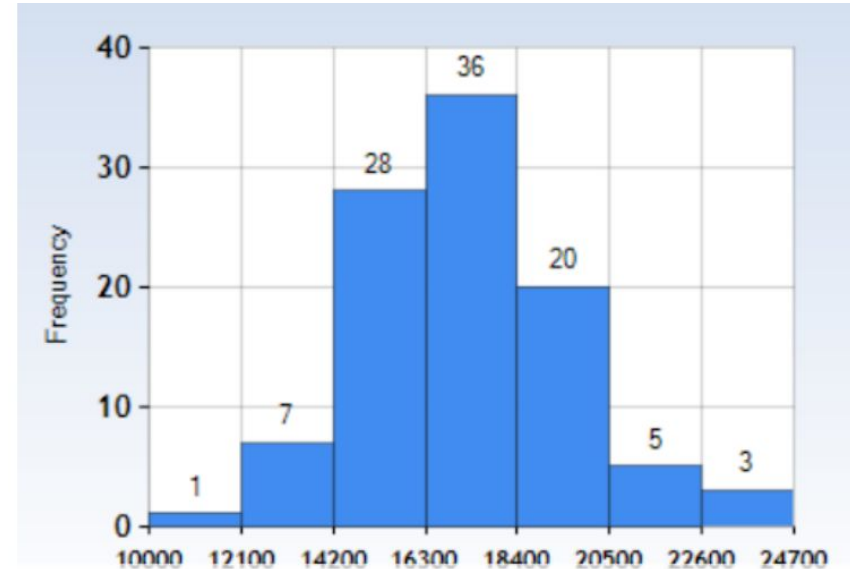


Figure 4: Histogram showing distribution of values of  $n$  for  $p \in (1\%, 2\%, \dots, 100\%)$  for  $m = 4$





# Observations and Discussion



# Observations

## Significant Drop in Generations for $m = 3$ :

- At low mutation rates, small changes in  $p$  drastically reduce the number of generations.
- For higher  $p$ , results stabilize, showing that mutations no longer contribute significantly to genetic recombination at high frequencies.

## Behavior for $m = 4$ and $m = 5$ :

- Similar trends as  $m = 3$ , though absolute generations required are higher.

## Interesting Statistical Observations:


- Generations follow a Gaussian distribution for  $p \geq 1\%$ , indicating random spread across possible outcomes.

# Conclusions

## Key Conclusions:

- Mutation rates between 0.01% and 1% significantly impact the number of generations needed to reproduce an ancestor's genotype.
- After 1%, the required number of generations stabilizes.
- This study provides insights into genetic models for de-extinction and genetic diversity.

## Applications:

- Could inform breeding programs for endangered species.
  - Helps us understand the role of mutation in genetic conservation.
- 

# References

- Novak, B. J. (2018). De-extinction. *Genes*, 9(11), 548.
- Shapiro, B. (2017). Pathways to de-extinction: how close can we get to resurrection of an extinct species?. *Functional Ecology*, 31(5), 996-1002.
- Bürger, R. (2011). Some mathematical models in evolutionary genetics. *The Mathematics of Darwin's Legacy*, 67-89.
- Thompson, E. A. (1990). RA Fisher's contributions to genetical statistics. *Biometrics*, 905–914.
- Beskorovajni, R., Jovanović, R., Pezo, L., Popović, N., Tolimir, N., Mihajlović, L., & Šurlan-Momirović, G. (2022). Mathematical modeling for genomic selection in Serbian dairy cattle. *Genetika*, 53(3), 1105–1115.





Thank You